## Pareto Front Solution with minimal drivers •Objective 1 = Minimal Number of Drivers Solution with Objective 2 = Minimal minimal driving time **Driving Time Objective Function 2** Dominated Solutions •Pareto Optimal Set Non-dominated solutions (on the line) Pareto Front Dominated solutions Nondominated (inside lined area) solutions - Pareto Optimal Set Non-optimal

**Objective Function 1** 

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Solutions that balance between minimal time and minimal drivers

## Multi-Objective Fitness

 $Fitness(s) = w_1(DrivingTime) + w_2(Drivers) + penalty(ConstraintsViolated)$ 

w1, w2 are weights; penalty ensures solutions with less driving time and/or no. of drivers but that violate constraints are worse than those that do not violate constraints

DrivingTime is normalized (to be between 0 and 1): (solution total driving time / (max assumed driving time for 1 job \* total no. of jobs to assign))

Drivers is normalized (to be between 0 and 1): (solution total no. of drivers assigned / total no. of jobs to assign)

Pareto optimal set is calculated as follows: For each candidate solution: check that no other solution exists that has ((less or equal driving time) AND less no. of drivers) OR ((less or equal no. of drivers) AND less driving time)

Note: driving time and no. of drivers used to calculate pareto optimal set is not normalized.