Modeling the Linux Block I/O Layer

M. Edward (Ed) Borasky

http://linuxcapacityplanning.com

LinuxCon, September 23, 2009

▲□▶▲□▶▲≡▶▲≡▶ ≡ めぬる

Where Is This Stuff?

http://github.com/znmeb/LinuxCon2009/tree/master/Modeling_the_Linux_ Block_I-0_Layer_For_Enterprise_Applications/

Some Thoughts About Data

- "In God We Trust all others bring data."
- "I like my data the same way I like my vegetables raw or lightly steamed."

▲□▶ ▲□▶ ▲□▶ ▲□▶ ▲□ ● ● ●

"Give me data or give me death!"

More Thoughts About Data Dr. Neil J. Gunther, *Guerrilla Capacity Planning Manual*

- "Data comes from the Devil, only models come from God."
- "If the measurements don't support your PDQ model, change the measurements."

▲ロ ▶ ▲周 ▶ ▲ 国 ▶ ▲ 国 ▶ ● の Q @

"The Problem" as "Traditionally" Stated

- "I have tons / reams / gigabytes of performance data. How do I make sense of them?"
- "How can I visualize performance of my application / server / enterprise?"

▲□▶ ▲□▶ ▲□▶ ▲□▶ ▲□ ● ● ●

Visualization, Like Beauty, is in the Eye of the Beholder

Performance visualization is an exercise in exploratory data analysis, made easier by the existence of analytical models.

or

▲□▶ ▲□▶ ▲□▶ ▲□▶ □ のQで

"You can observe a lot just by watching." - Yogi Berra

Exploratory Data Analysis

- "Let the data speak for themselves"
- Mostly visual / graphic tools
- Many are compute-intensive
- Often used when the investigator does not know much about what the data represent or how the variables are related

▲□▶ ▲□▶ ▲□▶ ▲□▶ ▲□ ● ● ●

Exploratory Data Analysis Tools

- Box-and-whisker plots
- Scatterplot matrices, linked plots and brushing

▲□▶ ▲□▶ ▲□▶ ▲□▶ □ のQで

- Kernel density estimation
- Kernel smoothing and quantile regression
- Classification (supervised learning)
- Clustering (unsupervised learning)
- Grand tours

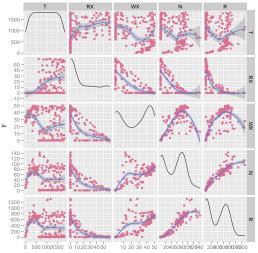
Analytical Models

Queuing networks, especially product form

▲□▶ ▲□▶ ▲ 三▶ ▲ 三▶ 三 のへぐ

- Stochastic Petri nets
- Process algebras

A Sample Scatterplot Matrix



х

・ コ ト ・ 一 ト ・ ヨ ト ・

ъ

What Are We Looking for in a Scatterplot Matrix?

- Distributions of the variables
 - Kernel density estimator on the diagonal
- Clusters
 - Groups of points in the scatterplots that represent distinct behavior patterns
- Linear or non-linear relationships between the variables
 - The shaded curves in the off-diagonal plots
 - Kernel smoothing / regression with standard error
 - In "traditional" EDA, we may not know these relationships. But for performance metrics, we often have workable models to guide us!

Capacity Function of a Load Dependent Queuing Center

$$C(N) = X(N)/X(1)$$

where

- N is the number of "customers"
- X(N) is the throughput for N "customers"
- C(N) is the capacity of the center for N "customers"

Note that the high-level model requires a numerical table of the capacity function!

▲□▶ ▲□▶ ▲□▶ ▲□▶ □ のQで

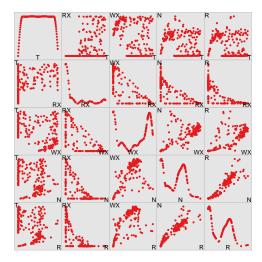
In the Following ...

- Throughput is measured in megabytes per second
- "Customers" are I/O requests to the Linux block layer
- Data came from a complete *iozone* run using the deadline scheduler

▲□▶ ▲□▶ ▲□▶ ▲□▶ ▲□ ● ● ●

iostat samples were taken every ten seconds

Initial Scatterplot Matrix



Notes

- Done with ggobi linked plots and brushing are built-in
- Plots on diagonal are average shifted histograms
 - Can be linked with the other plots
- Variables are
 - T: seconds from beginning of benchmark
 - RX: read throughput in megabytes per second
 - WX: write throughput in megabytes per second
 - N: average queue length at the disk
 - R: average residence ("wait") time in milliseconds
 - Read capacity function is row 4, column 2
 - Write capacity function is row 4, column 3
- Read and write capacity functions are very different!

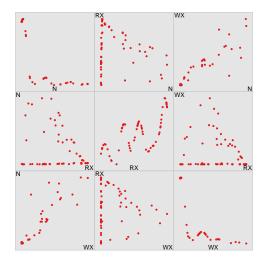
Getting the Read Capacity Function

Write function is easier than read, so we focus on reads

▲ロ ▶ ▲周 ▶ ▲ 国 ▶ ▲ 国 ▶ ● の Q @

- ▶ First, drop variables *T* and *R*
- Eliminate points where RX < WX</p>
- Eliminate points where RX = 0

Reduced Scatterplot Matrix



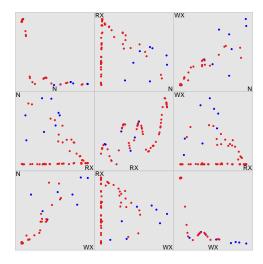
< □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □

Almost Done

- Function we want is row 1, column 2
- Rises to a sharp peak, then tapers off gradually
- Still has throughput, not capacity, on the Y axis
- Some "noise points" need to be removed
- So we remove the points we don't want by shadowing them with the brush

▲□▶ ▲□▶ ▲□▶ ▲□▶ ▲□ ● ● ●

Scatterplot Matrix After Shadowing



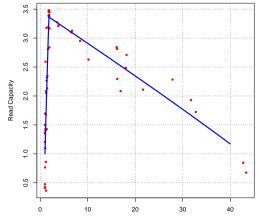
◆□▶ ◆□▶ ◆三▶ ◆三▶ ・三 のへの

Notes

- Shadowed points are in blue
- Now we will make an ordinary scatterplot and use kernel regression to fit the function
- Because it has a sharp peak, we will fit twice, once to the left and once to the right

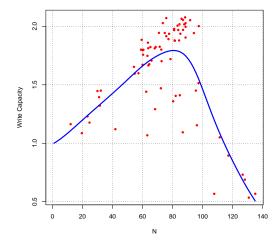
▲ロ ▶ ▲周 ▶ ▲ 国 ▶ ▲ 国 ▶ ● の Q @

Read Capacity Function



Ν

Write Capacity Function



▲□▶ ▲□▶ ▲ 三▶ ▲ 三▶ 三 のへぐ